

Statistics

Lecture 1



Feb 19-8:47 AM

Basic Math Review

1) Reduce $\frac{80}{125} = \frac{5 \cdot 16}{5 \cdot 25} = \boxed{\frac{16}{25}}$

1) $\frac{16}{25}$

a) Convert .4% to

a) Decimal $.4\% = .4(.01) = \boxed{.004}$ a) $.004$

b) Reduce fraction

$.4\% = \frac{.4}{100} = \frac{.4(10)}{100 \cdot 10} = \frac{\cancel{4}}{100 \cdot 10} = \boxed{\frac{1}{250}}$ b) $\frac{1}{250}$

3) 6% of 250 randomly selected students were left-handed. How many were left-handed?

what is 6% of 250?

$x = .06(250) = \boxed{15}$

TI-83

or

TI-84

3) 15

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Scientific Notation

It is used for very large numbers or very small numbers.

$$325,000,000 = 3.25 \times 10^8$$

$$0.000000085 = 8.5 \times 10^{-8}$$

$$N \times 10^n$$

\uparrow $1 \leq N < 10$ \nwarrow any integer

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Use Your Calc to Simplify

$$\frac{8(100) - 30^2}{8(8-1)} = \frac{800 - 900}{56} = \frac{-100}{56} = -1.78571...$$

Round to 3-decimal places ≈ -1.786

$$\frac{28 - 21}{\frac{8}{\sqrt{16}}} = \frac{7}{\frac{8}{4}} = \frac{7}{2} = 3.5$$

$$1.645 \cdot \sqrt{\frac{(.2)(.8)}{25}} = 1.645 \cdot \sqrt{\frac{.16}{25}} = 1.645 \cdot \frac{.4}{5} = .1316$$

Round to 2-decimal places $.13$

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! Factorial

$$1! = 1$$

$$0! = 1$$

$$n! = n(n-1)(n-2)\dots 3 \cdot 2 \cdot 1$$

find $5!$

$$5! = 5 \cdot 4 \cdot 3 \cdot 2 \cdot 1 = \boxed{120}$$

Simplify

$$\frac{8!}{2! \cdot 6!} = \frac{\overset{4}{\cancel{8 \cdot 7 \cdot 6 \cdot 5 \cdot 4 \cdot 3 \cdot 2 \cdot 1}}}{\cancel{2 \cdot 1 \cdot 6 \cdot 5 \cdot 4 \cdot 3 \cdot 2 \cdot 1}}$$

$$= 4 \cdot 7 = \boxed{28}$$

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In a deck of playing cards, there are 40 cards and 3 are aces.

what % of cards are aces?

3 is what percent of 40?

$$\frac{3}{40} \cdot 100 = 7.5$$

$$\underline{7.5\%}$$

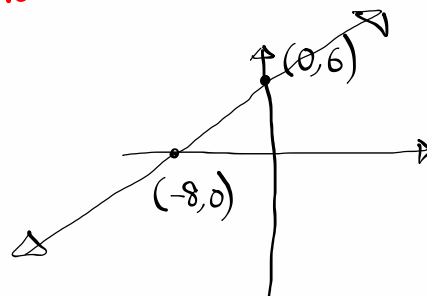
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Given $3x - 4y = -24$

Linear Equation

x	y
0	6
-8	0

Intercepts

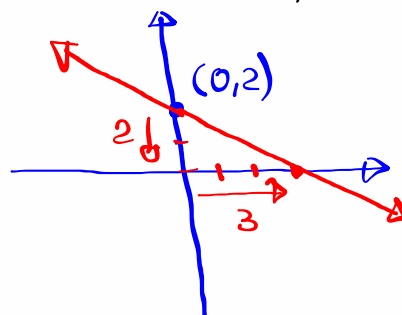


$$y = \frac{-2}{3}x + 2$$

Slope-Int

$m = \frac{-2}{3}$

Y-Int $(0, 2)$



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Given $y = 5x + 10$

Find y when $x = -2$.

$$y = 5(-2) + 10$$

$$= -10 + 10 = \boxed{0}$$

Do not use
 \emptyset for
0.

Find x when $y = -10$.

$$-10 = 5x + 10$$

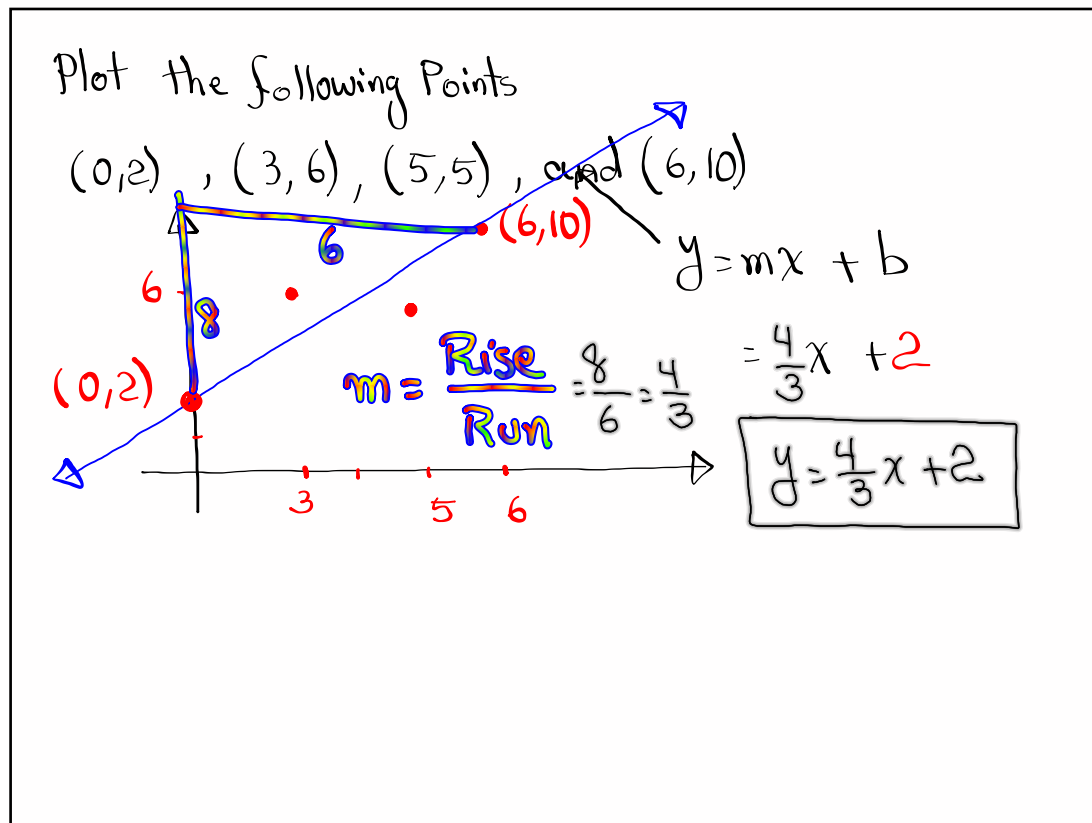
$$-10 - 10 = 5x$$

$$-20 = 5x$$

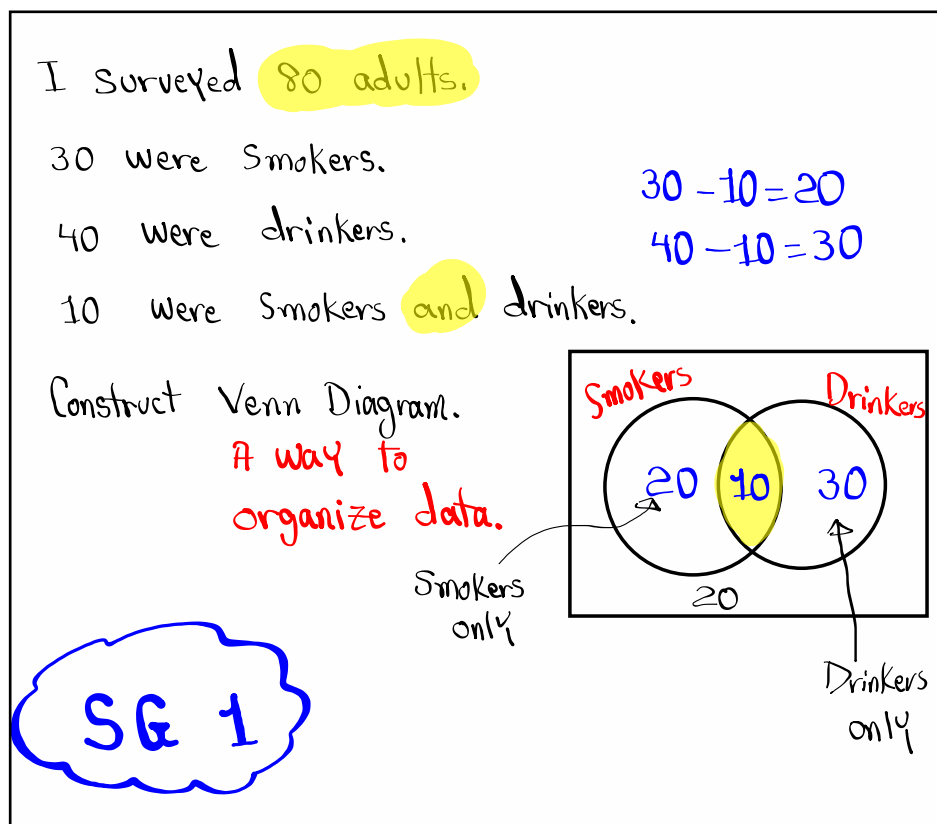
$$\frac{-20}{5} = x$$

$$\boxed{x = -4}$$

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Jan 9-5:04 PM



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What is Statistics?

SG2

It is about collecting information (**Data**), organize them, graph them, do certain computation, draw conclusion from them and make Predictions.

Two Branches

1) **Descriptive**: work with data, graph, Compute, and learn from it.

2) **Inferential**: we draw conclusion from data & make Prediction with same degree of confidence.

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Entire field of interest → population

Randomly select from population → Sample

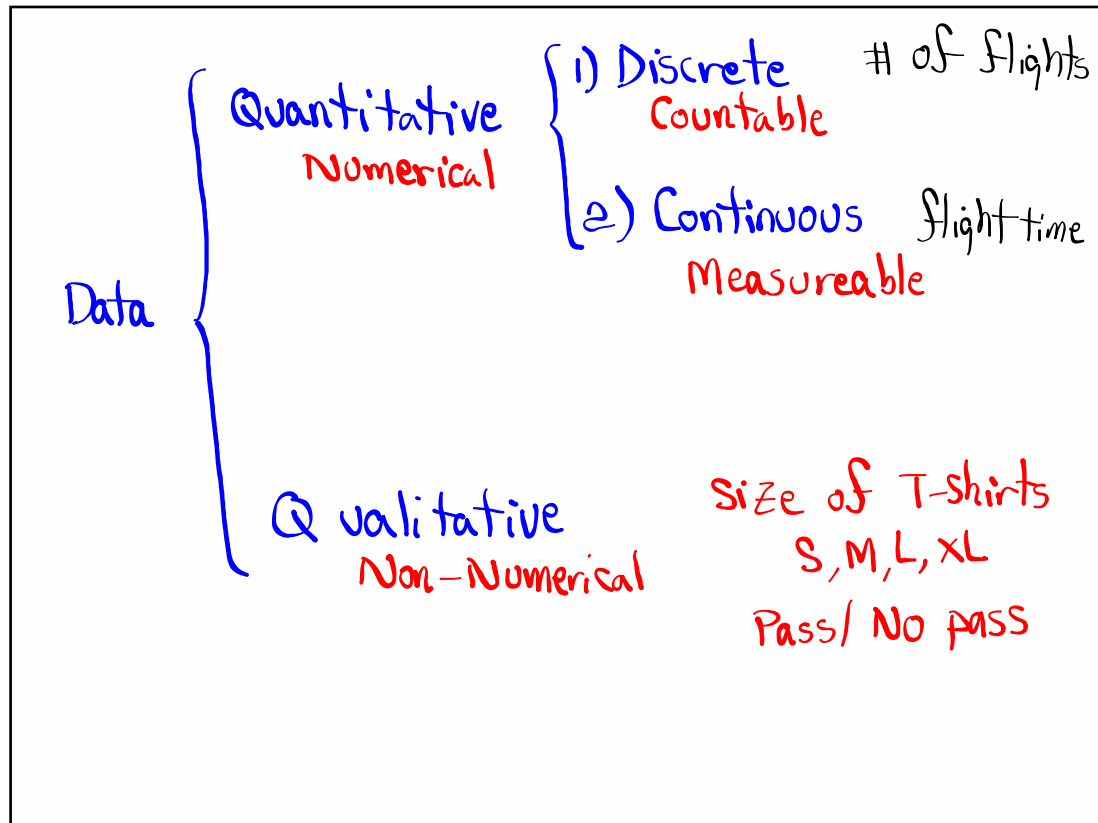
Population ↔ Parameter

Sample ↔ Statistic

Average age of all teachers in LA county is 38 yrs.
Parameter

Median salary of 40 randomly selected nurses in LA was \$7500.
Statistic

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Level of measurements

- 1) Nominal Small, Med, Large,
Red, white, Blue
- 2) Ordinal S, M, L, XL
- 3) Interval (Range of values) 90% - 100% → A
- 4) Ratio Small (12 oz)
Large (24 oz)

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Sampling Method:

- 1) Systematic Every k th item selected.
- 2) Stratified Divide into groups
Select few from each group
Males → select 8
Females → select 12
- 3) Cluster Divide into groups
Select few groups
500 sections
Select 50 of them Collect information from all in selected groups
ask all students to do the survey.
- 4) Random or Convenience
"Least Reliable method to collect data"

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I Selected 100 Freshmen, 200 Sophomore, 150 Jr.
100 Sr., and 50 graduate students from
Cal poly to do a survey.

Stratified.

John is a general manager of Taco Bell
and has 40 stores. He selected 8 stores
and ask all employees to do a survey.

cluster

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Observation & Experiment.

observation : observe changes due to
no action taken.

Experiment : observe changes due to
Some action taken.

Simple random Sample: All outcomes have
Same chance of
consideration / Selection

Flip a Coin H or T

SG 2

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Consider the Sample below

1, 3, 3, 4, 9

1) Sample Size $n=5$

2) Min. = 1, Max = 9

3) Range = Max - Min = $9 - 1 = 8$

4) Midrange = $\frac{\text{Max} + \text{Min}}{2} = \frac{9+1}{2} = 5$

5) Mode = 3

6) $\sum x = 1 + 3 + 3 + 4 + 9 = 20$

Summation

7) $\sum x^2 = 1^2 + 3^2 + 3^2 + 4^2 + 9^2$
 $1 + 9 + 9 + 16 + 81 = 116$

8) $\frac{\sum x}{n} = \frac{20}{5} = 4$

9) $\frac{n \sum x^2 - (\sum x)^2}{n(n-1)} = \frac{5 \cdot 116 - 20^2}{5(5-1)} = \frac{180}{20} = 9$

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Consider the following Sample

2, 3, 3, 4, 4, 7

1) Sample Size $n = 6$

2) Min. = 2, Max = 7

3) Range = Max - Min = 7 - 2 = 5

4) Midrange = $\frac{\text{Max} + \text{Min}}{2} = \frac{7+2}{2} = 4.5$

5) Mode: 3 & 4

6) $\sum x = 2+3+3+4+4+7 = 23$ $\sum x^2 = 2^2+3^2+3^2+4^2+4^2+7^2$
 $= 4+9+9+16+16+49 = 103$

7) $\frac{n \sum x^2 - (\sum x)^2}{n(n-1)} = \frac{6 \cdot 103 - 23^2}{6(6-1)} = \frac{89}{30}$

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Consider the Sample below

2, 2, 2, 2, 4, 4, 4, 4

1) $n = 8$

2) Range = Max - Min = 4 - 2 = 2

3) Midrange = $\frac{\text{Max} + \text{Min}}{2} = \frac{4+2}{2} = 3$ 4) Mode None

5) $\sum x = 24$

6) $\sum x^2 = 80$

7) $\frac{\sum x}{n} = \frac{24}{8} = 3$

8) $\frac{n \sum x^2 - (\sum x)^2}{n(n-1)}$
 $= \frac{8 \cdot 80 - 24^2}{8(8-1)}$
 $= \frac{64}{56} = \frac{8}{7}$

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How to organize data
 we do it in a form of a table called
 freq. table.

class limits	class BNDRS	class MP	class F	Cum. F	Rel. F	%F

then we draw

1) Bar chart

2) Histogram

3) Ogive

4) Pie chart

5) Box plot

6) Stem Plot

7) Freq. Polygon

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